Scalable Ontology-Based Information Systems

Ian Horrocks

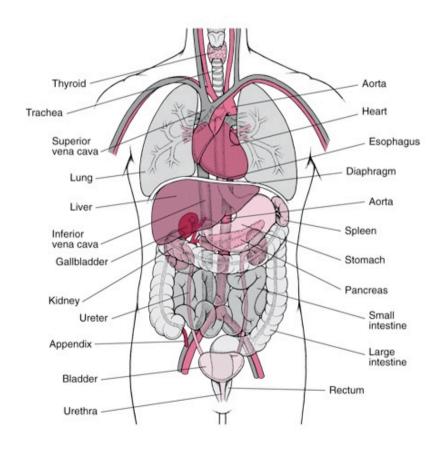
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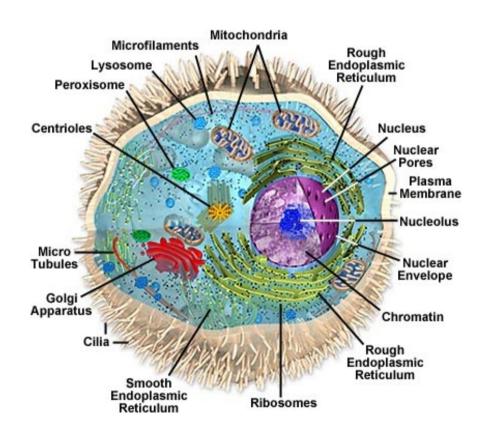


- Introduces vocabulary relevant to domain, e.g.:
 - Anatomy



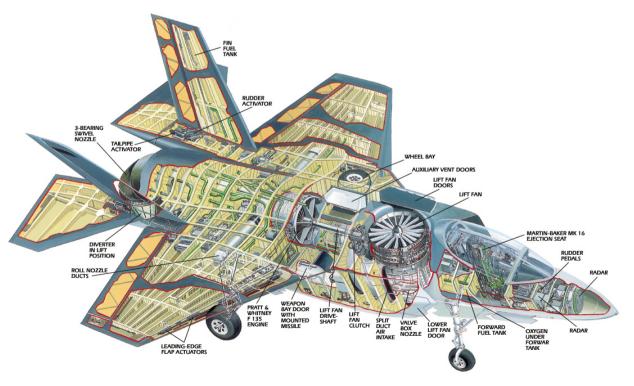


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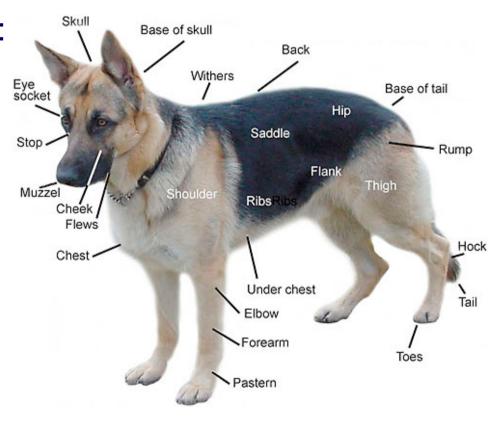




A model of (some aspect of) the world

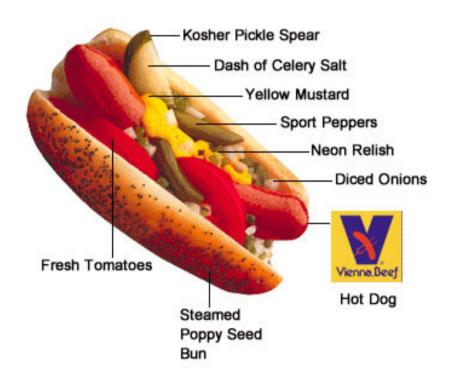
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- Introduces vocabulary relevant to domain, e.g.:
 - Anatomy
 - Cellular biology
 - Aerospace
 - Dogs
 - Hotdogs
 - **—** ...

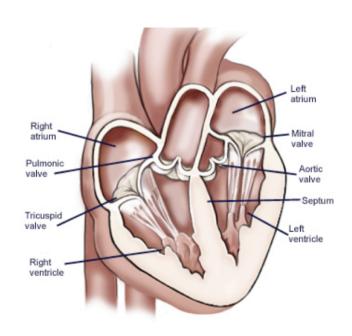




A model of (some aspect of) the world

- Introduces vocabulary relevant to domain
- Specifies meaning (semantics) of terms

Heart is a muscular organ that is part of the circulatory system





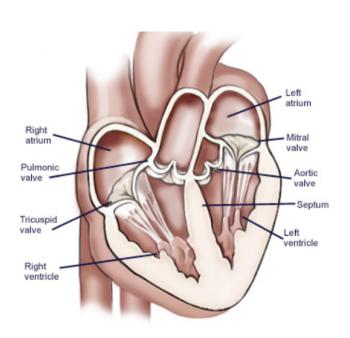
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Heart is a muscular organ that is part of the circulatory system

Formalised using suitable logic

$$\forall x. [\mathsf{Heart}(x) \to \mathsf{MuscularOrgan}(x) \land \\ \exists y. [\mathsf{isPartOf}(x,y) \land \\ \mathsf{CirculatorySystem}(y)]]$$





Web Ontology Language OWL (2)

- W3C recommendation(s)
- Motivated by Semantic Web activity

Add meaning to web content by annotating it with terms defined in ontologies

- Supported by tools and infrastructure
 - APIs (e.g., OWL API, Thea, OWLink)
 - Development environments
 (e.g., Protégé, Swoop, TopBraid Composer, Neon)
 - Reasoners & Information Systems
 (e.g., Pellet, Racer, HermiT, Quonto, ...)
- Based on Description Logics (SHOIN / SROIQ)



Description Logics (DLs)

- Fragments of first order logic designed for KR
- Desirable computational properties
 - Decidable (essential)
 - Low complexity (desirable)
- Succinct and variable free syntax

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```

Heart ⊆ MuscularOrgan □ ∃isPartOf.CirculatorySystem



Description Logics (DLs)

DL **Knowledge Base** (KB) consists of two parts:

Ontology (aka TBox) axioms define terminology (schema)

```
Heart \sqsubseteq MuscularOrgan \sqcap
\exists isPartOf.CirculatorySystem
HeartDisease \equiv Disease \sqcap
\exists affects.Heart
VascularDisease \equiv Disease \sqcap
\exists affects.(\exists isPartOf.CirculatorySystem)
```

Ground facts (aka ABox) use the terminology (data)

```
John : Patient □

∃suffersFrom.HeartDisease
```

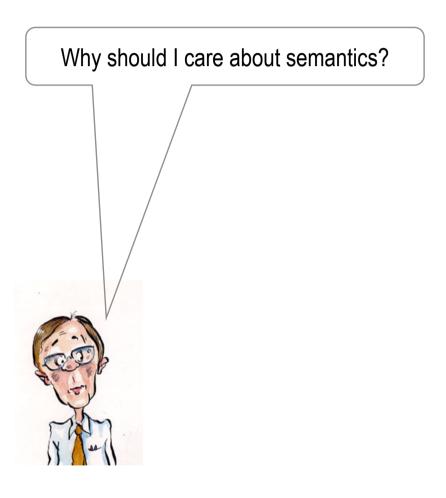














Why should I care about semantics?







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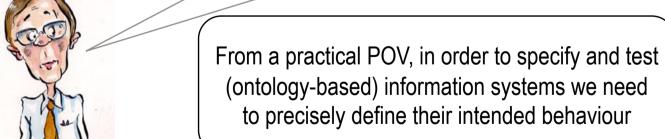




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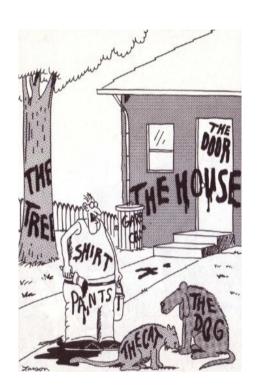






What are Ontologies Good For?

- Coherent user-centric view of domain
 - Help identify and resolve disagreements
- Ontology-based Information Systems
 - View of data that is independent of logical/ physical schema
 - Answers reflect schema & data, e.g.:"Patients suffering from Vascular Disease"



Now... *that* should clear up a few things around here



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 - View of data that is independent of logical/ physical schema
 - Answers reflect schema & data, e.g.:"Patients suffering from Vascular Disease"
 - Query expansion/navigation/refinement
 - Incomplete and semi-structured data
 - Integration of heterogeneous sources

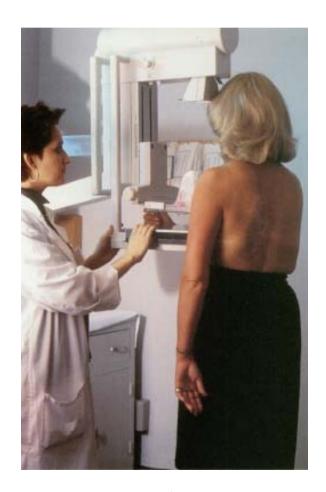


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Increasingly critical in many areas:

- In Healthcare industry
 - Too much screening harms patients and wastes money
 - Too little screening costs lives





Increasingly critical in many areas:

- In Oil and Gas industry
 - Better quality information could add €1B/year net value to Statoil production
 - Poorer quality information and analysis costs €6M/weekend!





Increasingly critical in many areas:

- In IT industry
 - SAP deals with 80,000 queries/month at a cost of approx.
 €16M
 - SAP estimate 50% of support staff time spent searching for relevant information





Increasingly critical in many areas:

- In Transport Security
 - Failures can cost hundreds of lives



"We had sufficient information, but failed to integrate and understand it"



Healthcare

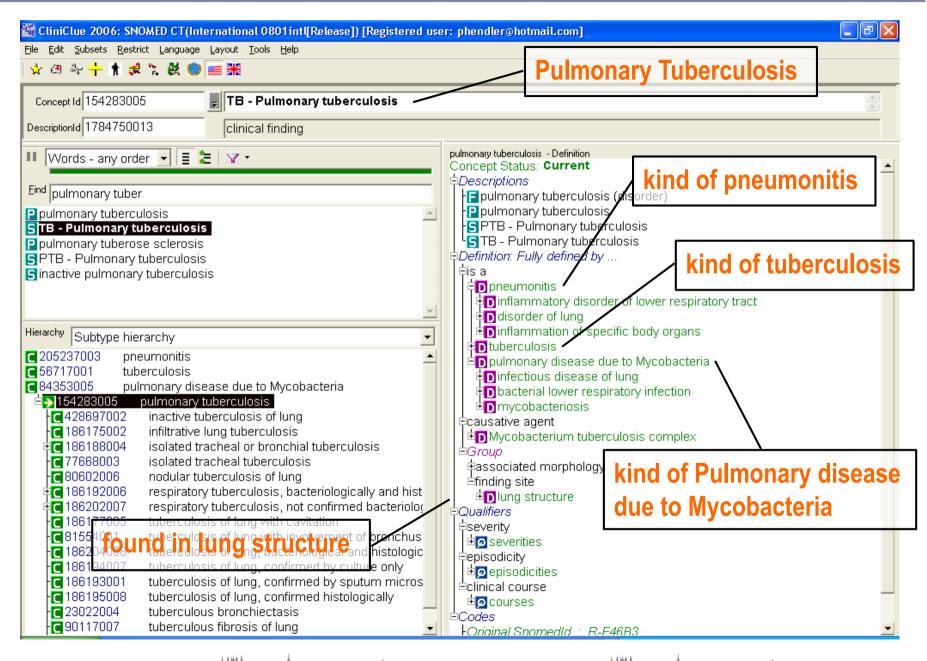
- UK NHS £10 billion "Connecting for Health" IT programme
- Key component is Care Records Service (CRS)
 - "Live, interactive patient record service accessible 24/7"
 - Patient data distributed across local centres in 5 regional clusters, and a national DB
 - SNOMED-CT ontology provides common vocabulary for data
 - Clinical data uses terms drawn from ontology



SNOMED-CT

- It's **BIG** over **400,000 concepts**
- Language used is EL profile of OWL 2
- Multiple hierarchies and rich definitions







What About Scalability?

- Only useful in practice if we can deal with large ontologies and/or large data sets
- Unfortunately, many ontology languages are highly intractable
 - OWL 2 satisfiability is 2NEXPTIME-complete w.r.t. schema
 - and NP-Hard w.r.t. data (upper bound open)
- Problem addressed in practice by
 - Algorithms that work well in typical cases
 - Highly optimised implementations
 - Use of tractable fragments (aka profiles)





Standard technique based on (hyper-) tableau

- Reasoning tasks reducible to (un)satisfiability
 - E.g., KB ⊨ HeartDisease ⊑ VascularDisease iff
 KB ∪ {x:(HeartDisease □ ¬VascularDisease)} is not satisfiable



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- Algorithm tries to construct (an abstraction of) a model:

 $x: HeartDisease \sqcap \neg VascularDisease$



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x: Heart Disease

x: Disease

 $x: \exists affects. Heart$



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Highly Optimised Implementations

- Lazy unfolding
- Simplification and rewriting,

e.g.,
$$A \sqcap B \sqsubseteq C \longrightarrow A \sqsubseteq C \sqcup \neg B$$

- HyperTableau (reduces non-determinism)
- Fast semi-decision procedures
- Search optimisations
- Reuse of previous computations
- Heuristics

Not computationally optimal, but effective with many realistic ontologies



Scalability Issues

Problems with very large and/or cyclical ontologies



- Ontologies may define 10s/100s of thousands of terms
- Can lead to construction of very large models



Scalability Issues

- Problems with large data sets (ABoxes)
 - Main reasoning problem is (conjunctive) query answering, e.g., retrieve all patients suffering from vascular disease: $Q(x) \leftarrow \mathsf{Patient}(x) \land \mathsf{suffersFrom}(x,y) \land \mathsf{VascularDisease}(y)$
 - Decidability still open for OWL, although minor restrictions (on cycles in non-distinguished variables) restore decidability
 - Query answering reduced to standard decision problem, e.g., by checking for each individual x if $KB \models Q(x)$
 - Model construction starts with all ground facts (data)
- Typical applications may use data sets with 10s/100s of millions of individuals (or more)



OWL 2 Profiles

- OWL recommendation now updated to OWL 2
- OWL 2 defines several profiles fragments with desirable computational properties
 - OWL 2 EL targeted at very large ontologies
 - OWL 2 QL targeted at very large data sets



OWL 2 EL

- A (near maximal) fragment of OWL 2 such that
 - Satisfiability checking is in PTime (PTime-Complete)
 - Data complexity of query answering also PTime-Complete
- Based on *EL* family of description logics
- Can exploit saturation based reasoning techniques
 - Computes classification in "one pass"
 - Computationally optimal
 - Can be extended to Horn fragment of OWL DL



Normalise ontology axioms to standard form:

$$A \sqsubseteq B$$
 $A \sqcap B \sqsubseteq C$ $A \sqsubseteq \exists R.B \exists R.B \sqsubseteq C$

Saturate using inference rules:

Extension to Horn fragment requires (many) more rules



```
OrganTransplant \equiv Transplant \sqcap \exists site. Organ
HeartTransplant \equiv Transplant \sqcap \exists site. Heart
Heart \sqsubseteq Organ
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OrganTransplant 
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      ∃site.Organ ⊑ SO
Transplant \sqcap SO \sqsubseteq OrganTransplant
HeartTransplant 

☐ Transplant
HeartTransplant <u>□</u> ∃site.Heart
       \existssite.Heart \sqsubseteq SH
\mathsf{Transplant} \sqcap \mathsf{SH} \sqsubseteq \mathsf{HeartTransplant}
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☐ Organ
OrganTransplant 
☐ Transplant
OrganTransplant <u>□</u> ∃site.Organ
      ∃site.Organ ⊑ SO
Transplant \sqcap SO \sqsubseteq OrganTransplant
HeartTransplant 

☐ Transplant
HeartTransplant <u>□</u> ∃site.Heart
       \existssite.Heart \sqsubseteq SH
\mathsf{Transplant} \sqcap \mathsf{SH} \sqsubseteq \mathsf{HeartTransplant}
```



```
OrganTransplant \equiv Transplant \sqcap \exists site. Organ
HeartTransplant \equiv Transplant \sqcap \exists site. Heart
              Heart 
☐ Organ
OrganTransplant 
☐ Transplant
OrganTransplant <u>□</u> ∃site.Organ
      ∃site.Organ ⊑ SO
Transplant \sqcap SO \sqsubseteq OrganTransplant
HeartTransplant 

☐ Transplant
HeartTransplant <u>□</u> ∃site.Heart
       \existssite.Heart \sqsubseteq SH
\mathsf{Transplant} \sqcap \mathsf{SH} \sqsubseteq \mathsf{HeartTransplant}
              Heart 
☐ Organ
```



```
OrganTransplant \equiv Transplant \sqcap \exists site. Organ
                                                                A \sqsubseteq \exists R.B \quad B \sqsubseteq C \quad \exists R.C \sqsubseteq D
HeartTransplant \equiv Transplant \sqcap \exists site. Heart
                                                                               A \sqsubseteq D
             Heart 
☐ Organ
OrganTransplant 
☐ Transplant
OrganTransplant <u>□</u> ∃site.Organ
      ∃site.Organ ⊑ SO
Transplant □ SO □ OrganTransplant
HeartTransplant 
☐ Transplant
HeartTransplant <u>□</u> ∃site.Heart
      ∃site.Heart □ SH
Transplant □ SH ☐ HeartTransplant
             Heart 
☐ Organ
```



Example:

```
OrganTransplant \equiv Transplant \sqcap \exists site. Organ
HeartTransplant \equiv Transplant \sqcap \exists site. Heart
            Heart 
☐ Organ
OrganTransplant 
☐ Transplant
OrganTransplant <u>□</u> ∃site.Organ
     ∃site.Organ ⊑ SO
Transplant □ SO □ OrganTransplant
HeartTransplant 
☐ Transplant
HeartTransplant <u>□</u> ∃site.Heart
      ∃site.Heart □ SH
Transplant □ SH ☐ HeartTransplant
            Heart 
☐ Organ
```

```
\frac{A \sqsubseteq \exists R.B \quad B \sqsubseteq C \quad \exists R.C \sqsubseteq D}{A \sqsubseteq D}
```



Example:

```
OrganTransplant \equiv Transplant \sqcap \exists site. Organ
HeartTransplant \equiv Transplant \sqcap \exists site. Heart
            Heart 
☐ Organ
OrganTransplant 
☐ Transplant
OrganTransplant 

∃site.Organ
     ∃site.Organ 

SO
Transplant \sqcap SO \sqsubseteq OrganTransplant
HeartTransplant 

☐ Transplant
HeartTransplant \sqsubseteq \exists site. Heart
      ∃site.Heart □ SH
Transplant □ SH ☐ HeartTransplant
            Heart 
☐ Organ
```

```
\frac{A \sqsubseteq B \quad A \sqsubseteq C \quad B \sqcap C \sqsubseteq D}{A \sqsubseteq D}
```

 $HeartTransplant \subseteq SO$



Example:

```
OrganTransplant ≡ Transplant □ ∃site.Organ
HeartTransplant ≡ Transplant □ ∃site.Heart
Heart ⊑ Organ
```

```
\frac{A \sqsubseteq B \quad A \sqsubseteq C \quad B \sqcap C \sqsubseteq D}{A \sqsubseteq D}
```

```
OrganTransplant ☐ Transplant
OrganTransplant ☐ ∃site.Organ
∃site.Organ ☐ SO

Transplant ☐ SO ☐ OrganTransplant
HeartTransplant ☐ Transplant
HeartTransplant ☐ ∃site.Heart
```

 $\mathsf{Transplant} \sqcap \mathsf{SH} \sqsubseteq \mathsf{HeartTransplant}$

Heart
☐ Organ

∃site.Heart □ SH

HeartTransplant ⊆ SO
HeartTransplant ⊑ OrganTransplant



Saturation-based Technique

Performance with large bio-medical ontologies:

	GO	NCI	Galen v.0	Galen v.7	SNOMED
Concepts:	20465	27652	2748	23136	389472
FACT++	15.24	6.05	465.35		650.37
HERMIT	199.52	169.47	45.72		
PELLET	72.02	26.47			
CEL	1.84	5.76			1185.70
CB	1.17	3.57	0.32	9.58	49.44
Speed-Up:	1.57X	1.61X	143X	∞	13.15X



OWL 2 QL

- A (near maximal) fragment of OWL 2 such that
 - Data complexity of conjunctive query answering in AC⁰
- Based on DL-Lite family of description logics
- Can exploit query rewriting based reasoning technique
 - Computationally optimal
 - Data storage and query evaluation can be delegated to standard RDBMS
 - Can be extended to more expressive languages (beyond AC⁰)
 by delegating query answering to a Datalog engine



Query Rewriting Technique (basics)

- Given ontology O and query Q, use O to rewrite Q as Q's.t., for any set of ground facts A:
 - $\operatorname{ans}(Q, \mathcal{O}, \mathcal{A}) = \operatorname{ans}(Q', \emptyset, \mathcal{A})$



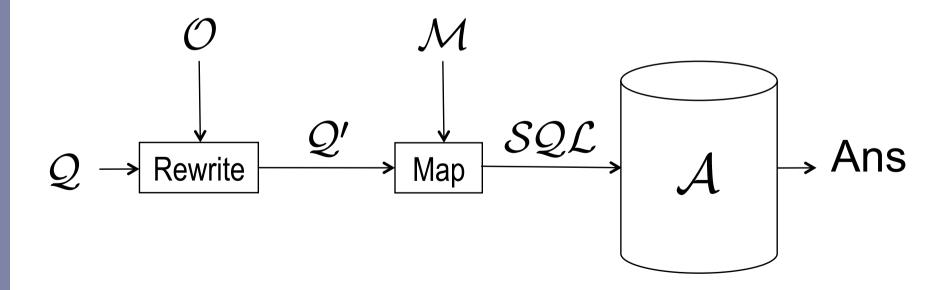
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- Use (GAV) mapping M to map Q' to SQL query
- Resolution based query rewriting
 - Clausify ontology axioms
 - Saturate (clausified) ontology and query using resolution
 - Prune redundant query clauses



Example:

```
Doctor 
☐ ∃treats.Patient

Consultant ☐ Doctor
```

 $Q(x) \leftarrow \mathsf{treats}(x,y) \land \mathsf{Patient}(y)$







```
Doctor 
☐ ∃treats.Patient

Consultant ☐ Doctor
```

```
\begin{aligned} \mathsf{treats}(x,f(x)) \leftarrow \mathsf{Doctor}(x) & Q(x) \leftarrow \mathsf{treats}(x,y) \land \mathsf{Patient}(y) \\ \mathsf{Patient}(f(x)) \leftarrow \mathsf{Doctor}(x) & Q(x) \leftarrow \mathsf{Doctor}(x) \land \mathsf{Patient}(f(x)) \\ \mathsf{Doctor}(x) \leftarrow \mathsf{Consultant}(x) & \end{aligned}
```



```
Doctor 

∃treats.Patient
Consultant 

□ Doctor
```

```
\mathsf{treats}(x, f(x)) \leftarrow \mathsf{Doctor}(x)
       \mathsf{Doctor}(x) \leftarrow \mathsf{Consultant}(x)
```

$$\operatorname{Patient}(x,f(x)) \leftarrow \operatorname{Doctor}(x)$$
 $Q(x) \leftarrow \operatorname{treats}(x,y) \wedge \operatorname{Patient}(y)$ $Q(x) \leftarrow \operatorname{Doctor}(x) \wedge \operatorname{Patient}(f(x))$



```
Doctor 
☐ ∃treats.Patient

Consultant ☐ Doctor
```

```
\begin{aligned} \mathsf{treats}(x,f(x)) \leftarrow \mathsf{Doctor}(x) & Q(x) \leftarrow \mathsf{treats}(x,y) \land \mathsf{Patient}(y) \\ \mathsf{Patient}(f(x)) \leftarrow \mathsf{Doctor}(x) & Q(x) \leftarrow \mathsf{Doctor}(x) \land \mathsf{Patient}(f(x)) \\ \mathsf{Doctor}(x) \leftarrow \mathsf{Consultant}(x) & Q(x) \leftarrow \mathsf{treats}(x,f(x)) \land \mathsf{Doctor}(x) \end{aligned}
```



```
Doctor 
☐ ∃treats.Patient

Consultant ☐ Doctor
```

```
\begin{aligned} \mathsf{treats}(x,f(x)) \leftarrow \mathsf{Doctor}(x) & Q(x) \leftarrow \mathsf{treats}(x,y) \land \mathsf{Patient}(y) \\ \mathsf{Patient}(f(x)) \leftarrow \mathsf{Doctor}(x) & Q(x) \leftarrow \mathsf{Doctor}(x) \land \mathsf{Patient}(f(x)) \\ \mathsf{Doctor}(x) \leftarrow \mathsf{Consultant}(x) & Q(x) \leftarrow \mathsf{treats}(x,f(x)) \land \mathsf{Doctor}(x) \end{aligned}
```



```
Doctor ⊑ ∃treats.Patient
Consultant ⊑ Doctor
```

```
 \begin{aligned} \mathsf{treats}(x,f(x)) \leftarrow \mathsf{Doctor}(x) & Q(x) \leftarrow \mathsf{treats}(x,y) \land \mathsf{Patient}(y) \\ \mathsf{Patient}(f(x)) \leftarrow \mathsf{Doctor}(x) & Q(x) \leftarrow \mathsf{Doctor}(x) \land \mathsf{Patient}(f(x)) \\ \mathsf{Doctor}(x) \leftarrow \mathsf{Consultant}(x) & Q(x) \leftarrow \mathsf{treats}(x,f(x)) \land \mathsf{Doctor}(x) \\ Q(x) \leftarrow \mathsf{Doctor}(x) & Q(x) \leftarrow \mathsf{Doctor}(x) \end{aligned}
```



```
Doctor 
☐ ∃treats.Patient

Consultant ☐ Doctor
```

```
 \begin{aligned} \mathsf{treats}(x,f(x)) \leftarrow \mathsf{Doctor}(x) & Q(x) \leftarrow \mathsf{treats}(x,y) \land \mathsf{Patient}(y) \\ \mathsf{Patient}(f(x)) \leftarrow \mathsf{Doctor}(x) & Q(x) \leftarrow \mathsf{Doctor}(x) \land \mathsf{Patient}(f(x)) \\ \mathsf{Doctor}(x) \leftarrow \mathsf{Consultant}(x) & Q(x) \leftarrow \mathsf{treats}(x,f(x)) \land \mathsf{Doctor}(x) \\ Q(x) \leftarrow \mathsf{Doctor}(x) & Q(x) \leftarrow \mathsf{Doctor}(x) \end{aligned}
```



```
Doctor 

∃treats.Patient
Consultant 
☐ Doctor
```

$$\begin{aligned} \mathsf{treats}(x, f(x)) &\leftarrow \mathsf{Doctor}(x) \\ \mathsf{Patient}(f(x)) &\leftarrow \mathsf{Doctor}(x) \\ \mathsf{Doctor}(x) &\leftarrow \mathsf{Consultant}(x) \end{aligned}$$

$$cts(x, f(x)) \leftarrow Doctor(x)$$
 $Q(x) \leftarrow treats(x, y) \land Patient(y)$
 $cts(x, f(x)) \leftarrow Doctor(x)$ $Q(x) \leftarrow Doctor(x) \land Patient(f(x))$
 $cts(x, f(x)) \leftarrow Doctor(x)$ $Q(x) \leftarrow Doctor(x) \land Doctor(x)$
 $cts(x, f(x)) \leftarrow Doctor(x)$
 $cts(x, f(x)) \land Doctor(x)$







Example:

For DL-Lite, result is a union of conjunctive queries

$$Q(x) \leftarrow (\mathsf{treats}(x,y) \land \mathsf{Patient}(y)) \lor \mathsf{Doctor}(x) \lor \mathsf{Consultant}(x)$$



- Data can be stored/left in RDBMS
- Relationship between ontology and DB defined by mappings, e.g.:

```
Doctor → SELECT Name FROM Doctor

Patient → SELECT Name FROM Patient

treats → SELECT DName, PName FROM Treats
```



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```
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```

UCQ translated into SQL query:

```
Q(x) \leftarrow (\mathsf{treats}(x,y) \land \mathsf{Patient}(y)) \lor \mathsf{Doctor}(x) \lor \mathsf{Consultant}(x)
```

SELECT Name FROM Doctor UNION SELECT DName FROM Treats, Patient WHERE PName=Name



- Combining best features of DLs & DBs
 - In particular, integrating OWA and CWA
- Hard to find a coherent semantic framework
 - Problems mainly due to existential quantifiers: should existentially implied objects be considered different?
 - Does a person owning a phone and an ipod own 2 things?
 - Does a person owning a phone and an iphone own 2 things?
 - Does a person owning a phone and a phone own 2 things?
- Interesting ideas emerging in DL & DB communities, e.g.:
 - Calì et al. Datalog±: a unified approach to ontologies and integrity constraints. ICDT 2009.
 - Motik et al. Bridging the gap between OWL and relational databases.
 WWW 2007.



Open questions w.r.t. query rewriting



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 - Currently only for very weak ontology languages



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 - Currently only for very weak ontology languages
 - Even for these languages, queries can get very large (order $(|\mathcal{O}|\cdot|\mathcal{Q}|)^{|\mathcal{Q}|}$), and existing RDBMSs may behave poorly
 - Not clear if this will be a problem in practice, see, e.g., Savo et al. MASTRO at Work: Experiences on Ontology-based Data Access. DL 2010.



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 - Not clear if this will be a problem in practice, see, e.g., Savo et al. MASTRO at Work: Experiences on Ontology-based Data Access. DL 2010.
 - Larger fragments require (at least) Datalog engines and/or extension to technique (e.g., partial materialisation)
 - Promising new work in this area, see, e.g., Lutz et al.

 Conjunctive Query Answering in the Description Logic EL Using
 a Relational Database System. IJCAI 2009.



Infrastructure



- Infrastructure
 - Standardised query language
 - SPARQL standard for RDF
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— ...





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- Birte Glimm











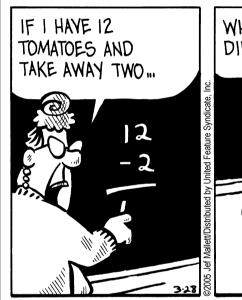


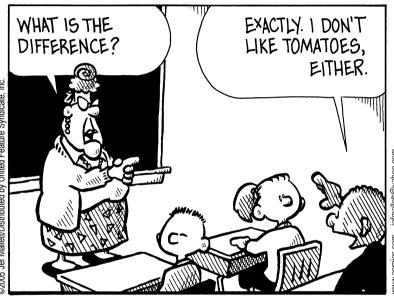


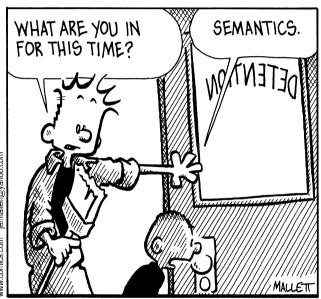
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Any questions?



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